

# Engagement and Achievement through Computational Thinking (ENACT) Summer Institute: Day 2

# Goals for this Summer Institute

- Increase teachers' knowledge of computational thinking (CT) strategies and student-focused practices and understand how this knowledge benefits students' mathematics learning.
- Increase teachers' capacity to integrate CT strategies and student-focused practices into their mathematics instruction.
- Support teachers in planning their first CT-integrated lessons.

# Agenda for today

- Warm-up activity
- Diving back into computational thinking (CT)
  - Pattern recognition and mathematics
  - Algorithms and mathematics
- How do our lived experiences impact how we approach teaching math?
- Exploring resources

# Warm-up activity

# Icebreaker: Find someone who (bingo)...



Photo by [Torsten Dederichs](#) on [Unsplash](#)

- Take 10 minutes to walk around and try to complete your bingo card.
- When you complete a square, write down the person's name and a little bit about what they share regarding the question.

# Diving back into computational thinking

# Let's review!

- What is CT?
- What CT strategies did we explore yesterday?
- What CT strategies are still left to explore?

You can use **PRADDA** to help you remember the names of the CT strategies.



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# Pattern recognition and mathematics

# Making patterns meaningful

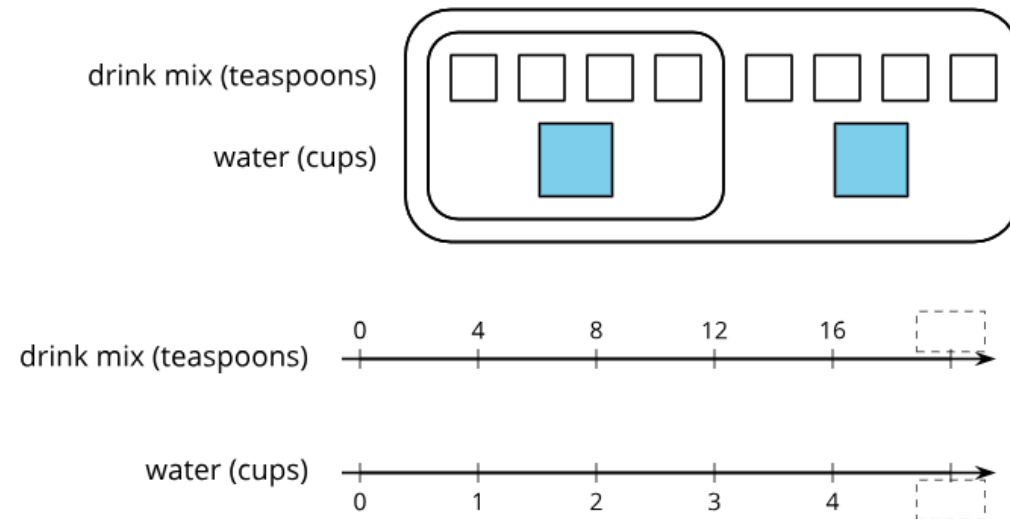


Photo by [Lia Schmidt](#) on [Unsplash](#)

We consider a **pattern** as something that is the same or similar across more than one problem or solution.

# Making patterns meaningful, part 1

A drink recipe says to mix 4 teaspoons of powdered drink mix for every cup of water. Here are two ways to represent multiple batches of this recipe:



1. How can we tell that **4:1** and **12:3** are equivalent ratios?
2. What do you notice about these representations that is **the same**? How are these representations **different**?
3. How many teaspoons of drink mix should be used with 3 cups of water?
4. How many cups of water should be used with 16 teaspoons of drink mix?
5. What numbers should go in the empty boxes on the double number line diagram? What do these numbers mean? Explain your reasoning.

# Making patterns meaningful, part 2

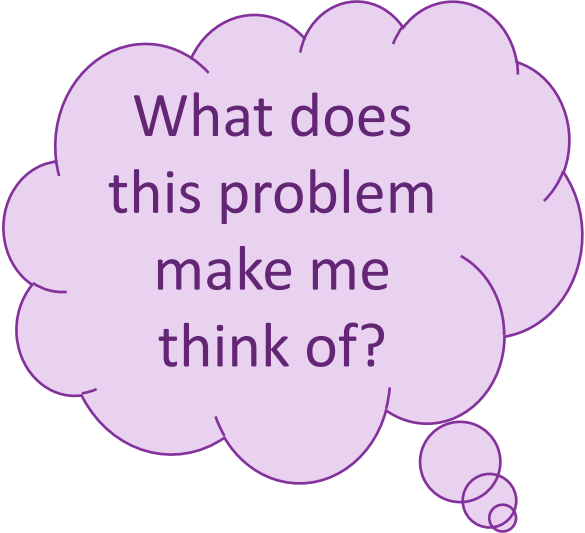


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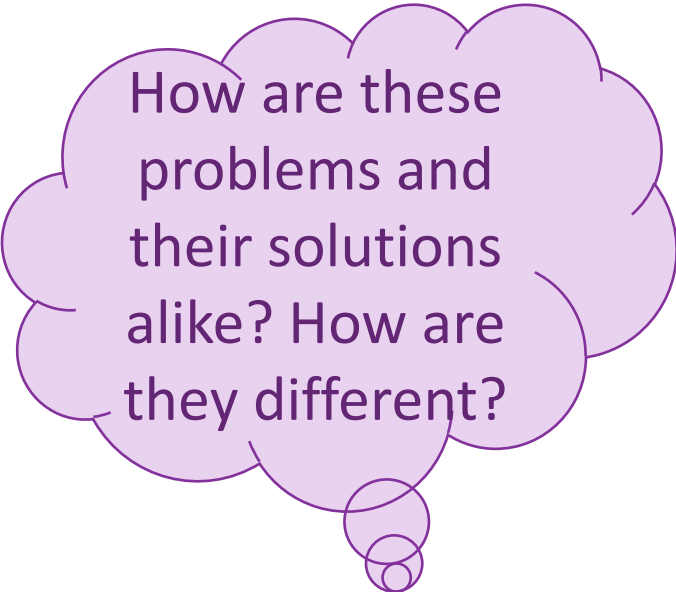
- How could you use the pattern(s) you noticed and explained in this task to solve other problems?
- What patterns could we generalize based on the work you just engaged in?
- How can these patterns be applied to help us solve other problems?

# Pattern Recognition

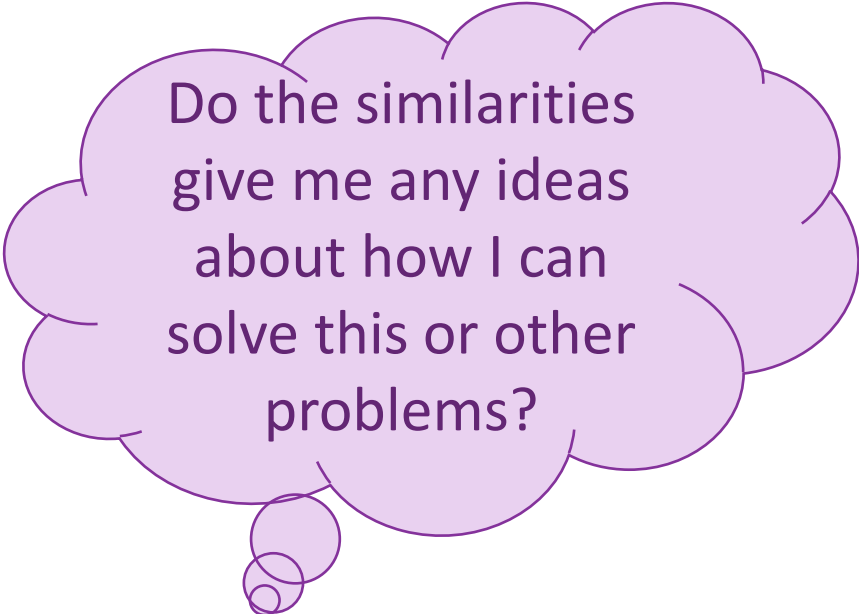
Looking for ways that problems or solutions are similar or different to help me solve other related problems



What does this problem make me think of?



How are these problems and their solutions alike? How are they different?



Do the similarities give me any ideas about how I can solve this or other problems?

# Reflection: What is student focused about pattern recognition?

**Spend five minutes with a neighbor brainstorming responses to the questions below:**

- How could you connect pattern recognition to *student experiences*? When might they have noticed and applied patterns before?
- What might the benefits be for *allowing students to choose* how to find and use patterns?
- How could using pattern recognition *support student thinking and promote student voice*?
- How can you use pattern recognition to *facilitate collaboration*?

**Share your ideas with the group.**



Photo by [Nathalia Segato](#) on [Unsplash](#)

# In what other contexts might students use pattern recognition?



Add your ideas to the posters.

Photo by [AbsolutVision](#) on [Unsplash](#)

# Algorithms and mathematics

# Developing algorithm understanding



Illustration by [remapstudio](#) on [Unsplash](#)

## Brainstorm with a partner:

What are some things that go wrong when students use common algorithms in math?

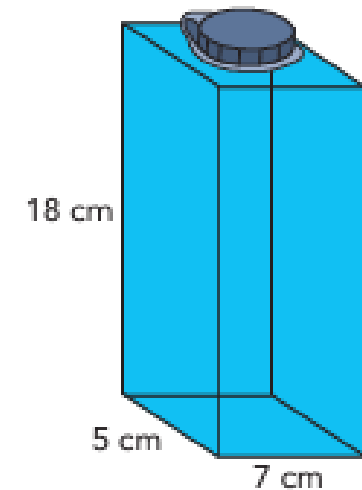
*For example, what mistakes do you see when students find surface area of a shape?*

# Developing algorithm understanding



Illustration by [remapstudio](#) on [Unsplash](#)

Savannah has a water bottle that is a rectangular prism. The bottle measures 7 centimeters by 5 centimeters by 18 centimeters and she filled it completely with water. Then, she drank  $\frac{1}{4}$  of the volume of water in her water bottle. How many cubic centimeters of water were left in the water bottle?



[https://ibkmartin.weebly.com/uploads/1/0/3/4/10343187/12.4\\_book.pdf](https://ibkmartin.weebly.com/uploads/1/0/3/4/10343187/12.4_book.pdf)

# Developing algorithm understanding



Illustration by [remapstudio](#) on [Unsplash](#)

Looking at your completed task. Share with another partner group:

- What steps were used to find solutions to these problems?
- Could the same steps be used on another problem?
- Could the steps be communicated to someone else? How?

# Developing algorithm understanding



Illustration by [remapstudio](#) on [Unsplash](#)

What extra steps might be needed for more complex problems?

# Reflection: What is student focused about algorithms?

**Spend five minutes with a neighbor brainstorming responses to the questions below:**

- How could you connect algorithms to *student experiences*? When might they have used algorithms before?
- What might the benefits be for *allowing students to choose* which algorithm to use?
- How could using algorithms *support student thinking and promote student voice*?
- How can you use algorithms to *facilitate collaboration*?

**Share your ideas with the group.**

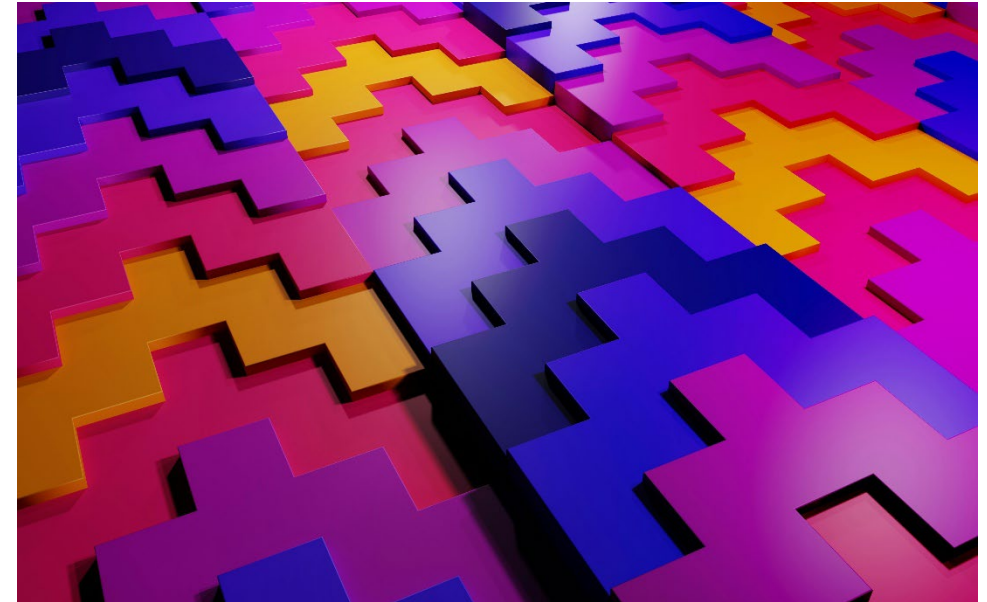


Photo by [BoliviaInteligente](#) on [Unsplash](#)

# In what other contexts might students use algorithms?

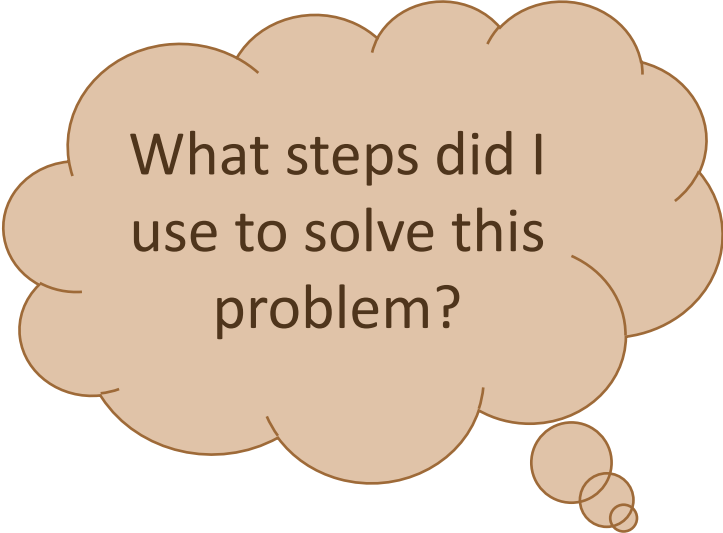


Add your ideas to the posters.

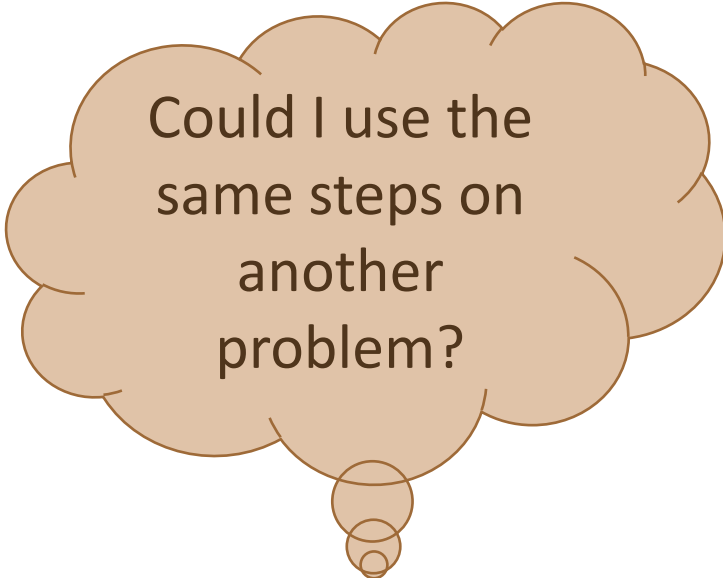
Photo by [AbsolutVision](#) on [Unsplash](#)

# Algorithms


Developing and using systematic, step-by-step approaches to problems

A light brown thought bubble with a dark brown outline and three smaller circles at the bottom right.

What steps did I use to solve this problem?

A light brown thought bubble with a dark brown outline and three smaller circles at the bottom.

Could I use the same steps on another problem?

A light brown thought bubble with a dark brown outline and three smaller circles at the bottom.

How could I communicate my steps to someone else?

How do our lived experiences impact how we approach teaching math?

# Group discussion norms

Remember as we continue into this activity that:

- You can share as much or as little as you'd like to share.
- This is a safe space with like minded educators.
- We are here to think deeply about our motivation and our instruction.
- This is a judgement-free zone.
- Respect the space of others as we engage in activities.

# Who are you in society?



Photo by [Timon Studler](#) on [Unsplash](#)

**On the first section of the chart paper, brainstorm the following questions:**

- **What roles do you play in society at large?**  
*For example: Daughter, mother, friend, softball teammate.*
- **What traits or attributes define how you interact with society?**  
*For example: Female, queer, Black and Latina.*

# Who are you in society?



Photo by [Timon Studler](#) on [Unsplash](#)

**On the second section of the chart paper, brainstorm the following questions:**

- **What characteristics define you as a teacher?**

*For example: Grades 5–8, National Board certified, math and science teacher, creative approaches.*

# Who are you in society?



Photo by [Timon Studler](#) on [Unsplash](#)

**On the third section of the chart paper, develop a statement that addresses the following questions:**

- Based on your reflections of who you are in society, your past experiences and history, and who you are as an educator:
  - What drives you to teach? Teach math?
  - How do your experiences give you insight into your students' learning?

# Sharing out: Partner share



Photo by [krakenimages](#) on [Unsplash](#)

1. Find a partner and share your last statement on the chart paper. Feel free to share more from your chart paper if you are comfortable.
  - You will have 10 minutes each to share.
  - Take turns sharing.
  - Do not provide feedback or interrupt while your partner is speaking.

# Sharing out: Group share



Photo by [krakenimages](#) on [Unsplash](#)

1. Go to the table that matches the number on your name tag.
2. As a group your coach facilitator will guide you in sharing your summary statement. Again, feel free to share as much or as little as you would like. (5 minutes to present each)

*Words of encouragement are appreciated, but do not interrupt or provide feedback as others are speaking.*

# Share out



Photo by [Brands&People](#) on [Unsplash](#)

Share your reflections with the group.

# Exploring ENACT resources

# ENACT lesson log



Photo by Allison Shelley/The Verbatim Agency for [EDUimages](https://www.edimages.com/)

As you introduce CT into your classroom, please record which CT strategies you used and how you incorporated student-focused practices in your lesson log.

*The log will help you keep track of which CT strategies you have used a lot and which strategies students might need more work with.*

# ENACT resources

Several kinds of tools and resources were developed to support introducing CT strategies in your classroom in a student-focused way.



Photo by [Louis Hansel](#) on [Unsplash](#)

# Starting off the year

- Two playful activities help introduce the five CT strategies during your first weeks of school.
  - Ordering Octopi will introduce abstraction and pattern recognition.
  - Drawing From Directions will introduce debugging, decomposition, and algorithms.
- Copies of the CT posters to display in your classroom to remind students of the five CT strategies.

## Pattern Recognition

Looking for ways that problems or solutions are similar or different to help me solve other related problems

What does this problem make me think of?

How are these problems and their solutions alike? How are they different?

Do the similarities give me any ideas about how I can solve this or other problems?

## Abstraction

Identifying and representing the important information in a problem or situation

What is this problem asking me to do?

What information should I focus on?

Can I use a diagram or picture to show the important information?

## Debugging

Finding and fixing mistakes to improve my work

Does my answer make sense for this problem?

How can I review my thinking or my strategy?

What changes can I make to improve my work?

## Decomposition

Breaking a complex problem into smaller parts that are easier to address.

What are the different parts of this problem?

Are there any parts that are familiar or easy?

Is there more than one way I could break this problem into parts?

## Algorithms

Developing and using systematic, step-by-step approaches to problems

What steps did I use to solve this problem?




Could I use the same steps on another problem?

How could I communicate my steps to someone else?

# ENACT resources: Videos and viewing guides

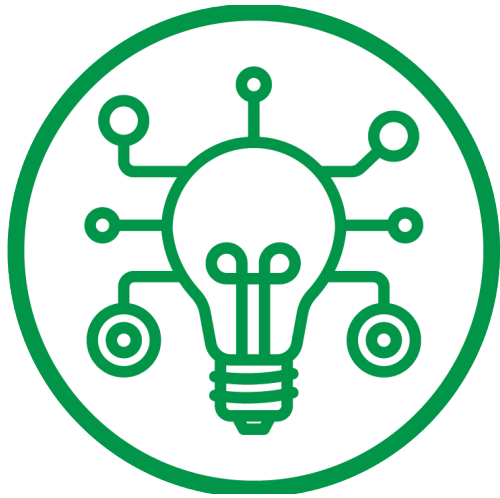


Photo by Allison Shelley for [EDUimages](#)

Timestamp	Topic	Notes
04:20	 Student Focus	Providing multiple ways of recognizing patterns is helpful for helping all students gain entry into the work of looking for patterns. Making sure that all students have access to the work supports a sense of belonging and also gives students more ways to share their thinking.
04:52	 CT	Organizing representations or information to see patterns is related to another CT practice: abstraction. Visual organization can help highlight the important information in problems.
06:20	 Pedagogy	The list of patterns shown in the video has specific parts underlined to draw attention to when the pattern applies. Engaging students in identifying when the pattern holds—by having them help you decide what to underline—can reinforce their thinking about the idea that a pattern does

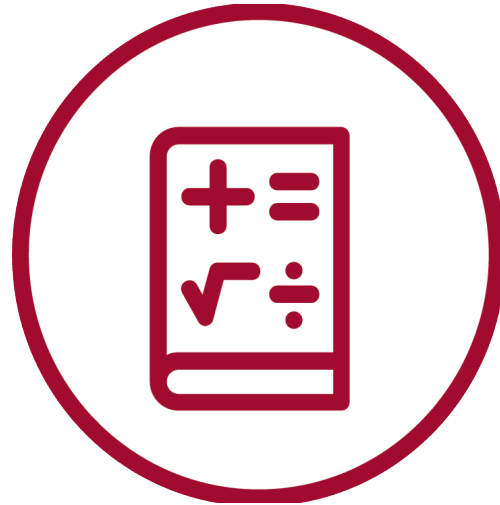
The first five videos show examples of how you can **model each CT strategies for students** by thinking aloud. You'll get a chance to **practice this in a microteaching activity.**

# ENACT video icons



## Computational thinking

- Scope and sequence of CT strategies.
- How CT strategies are tied to mathematics.
- Links between CT strategies.



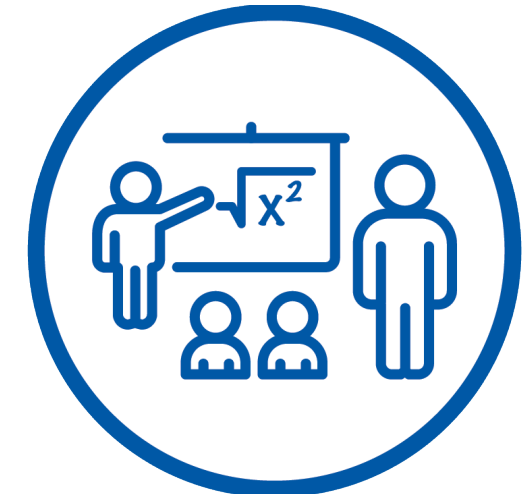
## Mathematics

- How concepts in the videos tie to other mathematical concepts.
- Additional background on the mathematical concepts.



## Student focus

- Examples of how the coach applies our four student-focused practices in the videos.



## Pedagogy

- Examples of teaching practices to support implementation of CT and student-focused instruction.

# Progression depicted in the video series



## Modeling CT (lessons 1–5)

**You:** Think aloud as you use CT strategies and invite students to support your thinking.

**Students:** Gain exposure and experience with CT.



## Structuring opportunities for CT (lessons 6–10)

**You:** Intentionally plan clear opportunities for CT into your lessons.

**Students:** Engage in structured practice and begin to take ownership of doing CT.



## Prompting and pointing out CT (lessons 11–15)

**You:** Anticipate where students might use CT during a lesson, and prompt or point it out.

**Students:** Start to use CT on their own and build awareness they are doing so.

# Closing

# Questions

What lingering questions do you have?



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# Day 3 sneak peek

- Warm-up activity
- Microteaching
- Planning time
- Closing